

NJU SICP

Tutorial

jjppp

2024-11-01

1. 期中考试

- **考试时间: 2024-11-13**
- **试卷讲解: 2024-11-15**

1.1 题型

1. WWPD

code	output
<code>print(print(114), 514)</code>	?

2. Environment Diagram

```
n = 24
```

```
def man(n, f):  
    return f(2 * n)
```

```
def out(m):  
    return n + m
```

```
man(8)(out)
```

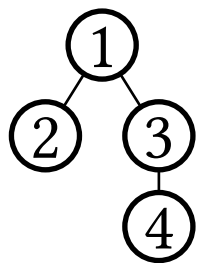
1.1 题型

3. Code Completion

```
def my_reverse(lst):  
    return _____
```

4. Drawings

```
draw tree(1, [tree(2), tree(3, [tree(4)])])
```



5. Others

2. Data Abstraction

Data Abstraction:

- **Details** do not matter
- Never make **assumptions**

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2.1 Review

Example 1:

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Example1: Courses

With a course, you can

- **take** it
- **drop** it
- earn **credits**
- ...

You cannot

- **assume** it's easy (SICP)
- **presume** it takes exams (悦读)
- ...

2.1 Review

Example2:

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Example2: Labs

With a submitted answer, TA's can

- **run** it
- **score** it
- ...

TA's cannot (and do not care to)

- **assume** its algorithm
(recursive, iterative, ...)
- **presume** variable names
- ...

2.1 Review

Example3:

Data Abstraction:

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2.1 Review

Data Abstraction:

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Example3: Python

With python interpreter, one can

- **run** programs
- **debug** programs
- ...

One should (probably) not

- **care** about computer brands (dell, lenovo, huawei, ...)
- **assume** who's running it
- ...

2.2 Pair Abstraction

```
def fst(p):  
    return p(0)
```

```
def snd(p):  
    return p(1)
```

- 1.
- 2.
- 3.

2.2 Pair Abstraction

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def fst(p):  
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```

1. p is function
- 2.
- 3.

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2. $\text{pair}(x, y)(0) == x$
- 3.

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```
def pair(x, y):  
    def inner(i):  
        return y if i else x  
    return inner
```

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def fst(p):  
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def pair(x, y):  
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```

Important:

- pairs **can be** functions
- pairs are not **necessarily** functions

2.3 Pair Abstraction

```
def change_fst(p, v):  
    return pair(v, snd(p))
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2. Don't know what `p` actually is
3. Works for any `pair`

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- pairs **can be** functions
- pairs are not **always** functions

3. Lists

3.1 List Comprehension

Deep

```
[x[:] for x in l]
```

Reverse

```
l[::-1]
```

Split

```
([x for x in l if f(x)], [x for x in l if not f(x)])
```

Couple

```
[[lst1[i], lst2[i]] for i in range(len(lst1))]
```


4. Trees

- **tree \neq list**

4.1 Add Trees

- `label(t)` may **not** be a number

`label(t1) + label(t2) != label(t2) + label(t1)`

`label(t1) + 0 != label(t1)`

4.1 Add Trees

- `label(t)` may **not** be a number
`label(t1) + label(t2) != label(t2) + label(t1)`
`label(t1) + 0 != label(t1)`
- returns a new **tree**
`[0], [label(t1) + label(t2), branches], ...`

4.1 Add Trees

- $\text{label}(t)$ may **not** be a number
 $\text{label}(t1) + \text{label}(t2) \neq \text{label}(t2) + \text{label}(t1)$
 $\text{label}(t1) + 0 \neq \text{label}(t1)$
- returns a new **tree**
[0], [label(t1) + label(t2), branches],...



4.1 Add Trees

Idea:

`add_tree(t1, t2)` returns a new tree `tree(new_label, new_branches)`

- 1.
- 2.

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 1. first `min(len(branches(t1)), len(branches(t2)))` branches
call `add_tree` recursively
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2. new branches:
 1. first `min(len(branches(t1)), len(branches(t2)))` branches
call `add_tree` recursively
 2. other branches
call `copy_tree`

4.1 Add Trees

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Try implement `tree(label, branches=[])` and the corresponding selectors using

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- `(label, branches)`
- `[branches, label]`
- `pair(label, branches)`
- functions

4.1 Add Trees

Bonus

Try implement `tree(label, branches=[])` and the corresponding selectors using

- `(label, branches)`
- `[branches, label]`
- `pair(label, branches)`
- functions

and see if your solution still works.

4.2 Big Path

Idea: recursion

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1. Base case:
 1. $\text{label}(t) < n$: 0 paths
 2. $\text{is_leaf}(t)$: 1 path
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Idea: recursion

1. Base case:

1. `label(t) < n`: 0 paths

2. `is_leaf(t)`: 1 path

2. Inductive case:

```
for b in branches(t):  
    s += bigpath(b, n-label(t))
```

4.2 Big Path

Idea: recursion

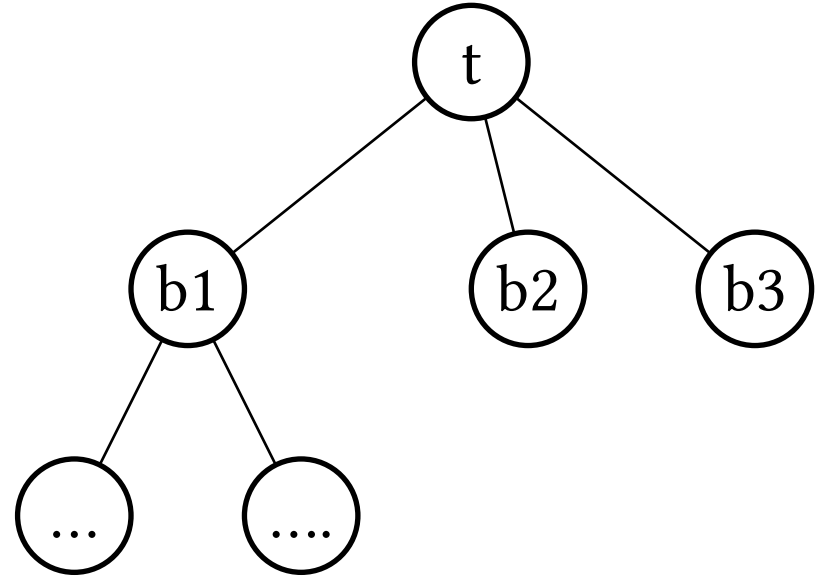
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5. Take-aways

- **期中考试**
- **Abstraction**